

# Mergers \& Acquisitions 

## LECTURE 5: CORPORATE VALUATIONS

CASE STUDY 1: HYATT CORPORATION (PUBLIC TRADED COMPANY) CASE STUDY 2: CELERITY TECHNOLOGY COMPANY (PRIVATE)

CASE STUDY 3: ABC AIR (DISTRESS COMPANY)

## Valuation Analysis Overview

| METHOD | DESCRIPTION | TYPE | TECHNICAL/ <br> FUNDAMENTAL |
| :---: | :--- | :--- | :--- |
| 1 | Using the current stock price as a basis of valuation | Market | Technical |
| 2 | Intrinsic value and Capital Asset Pricing Model (CAPM) | Market | Technical |
| 3 | Dividend Discount Model (DDM) | Market | Technical |
| 4 | Comparable method using trading EBITDA multiples | Market | Fundamental |
| 5 | Comparable method using acquisition EBITDA multiples | Market | Fundamental |
| 6 | Discount cash flow method (DCF) | Income | Fundamental |
| 7 | Leveraged buyout private equity expectation model (LBO) | Income | Fundamental |
| 8 | Black-Scholes option pricing model | Options | Fundamental |

## Valuation of Publicly Traded Companies.

Testing the current Stock Price

## Methods 1-6: Valuation of Public Traded Companies

Method 1: Using the Stock Price as the Basis of Valuation

- The formula to value the firm or the enterprise value (EV) is as follows:

$$
E V=M V E+D-C
$$

where EV is enterprise value, MVE is the market value of the equity, $D$ is the total debt outstanding, and $C$ is the cash and cash equivalents of the company.

- The stock price that represents the market value of each share when multiplied by the shares outstanding will give us the market value of the equity.
MVE = (SP . SO)
where MVE is the market value of the equity, $S P$ is the stock price and $S O$ is the shares outstanding.


## Methods 1-6: Valuation of Public Traded Companies

Method 1: Using the Stock Price as the Basis of Valuation

| Company | Symbol | Stock Price $2 / 4 / 2021$ | Stocks Outstanding (\$000) | Equity <br> Value <br> (\$000) | $\begin{gathered} \hline \text { Debt (ST\&LT) } \\ (\$ 000) \\ 9 / 30 / 2021 \\ \hline \end{gathered}$ | $\begin{gathered} \hline \text { Cash } \\ \text { (\$000) } \\ 9 / 30 / 2021 \\ \hline \end{gathered}$ | Enterprise Value (\$000) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Hyatt | H | \$ 93.12 | 109,950 | 10,238,544 | 3,348,000 | 2,418,000 | 11,168,544 |

## Methods 1-6: Valuation of Public Traded Companies

Method 2: Intrinsic Value and CAPM
The expected return is calculated by applying the capital asset pricing model (CAPM):

$$
\mathrm{E}_{\mathrm{r}}=\mathrm{Rf}_{\mathrm{r}}+\beta\left(\mathrm{M}_{\mathrm{r}}-\mathrm{Rf}_{\mathrm{r}}\right)
$$

where $E_{r}$ is the expected return, $R f_{r}$ is the risk-free rate, $\beta$ is the beta of the company that is analyzed, and $M_{r}$ is market return.

The formula for today's intrinsic value is

$$
\mathrm{v}_{0}=\frac{\mathrm{D}_{1}+\rho_{1}}{1+\mathrm{k}}
$$

where $D_{1}$ is the dividend expected to receive within a year, $P_{1}$ is the expected stock price a year from now, and $k$ is the discount rate or expected rate of return.

## Methods 1-6: Valuation of Public Traded Companies

## Method 2: Intrinsic Value and CAPM

```
METHOD #2- Intrinsic Value
\begin{tabular}{|c|c|c|c|c|}
\hline \multicolumn{2}{|l|}{Using CAPM \(=\mathbf{k}=\mathbf{R f}+(\) Beta \(*\) Premium )} & \multicolumn{3}{|l|}{Intrinsic Value = V0 \(=[E(\mathrm{D} 1)+\mathrm{E}(\mathrm{P} 1)] /(1+\mathrm{k})\)} \\
\hline Risk Free = & 1.90\% & D1= & \$1.76 & Pre-covid \\
\hline Beta = & 1.48x & & & \\
\hline Market Premium= & 5.50\% & \(\operatorname{Exp}(\mathrm{P} 1)=\) & \$96.00 & (Avg Target by Analysts for 9/22) \\
\hline Market Return (Rf + Premium)= & 7.40\% & k= & 10.02\% & \\
\hline Expected Equity Return using CA & 10.02\% & Stock Val= & 88.85 & \\
\hline
\end{tabular}
```


## Methods 1-6: Valuation of Public Traded Companies

## Method 3: Dividend Discount Model (DDM)

To calculate such value using the DDM method, the analyst needs the expected price of the stock a year from the date of the analysis, the expected dividend per share paid within the year, and a discount rate, which derived using the capital asset pricing model (CAPM).

$$
\text { - } \mathrm{V}=\frac{\mathrm{D} 1}{\mathrm{k}-\mathrm{g}}
$$

where $D_{1}$ is the expected dividend, $k$ is the discount rate, and $g$ is the expected growth rate.

## Traded Companies

Method 3: Dividend Discount Model (DDM)

## METHOD \#3- Dividend Discount Model (DDM)

| Constant-Growth DDM (Gordon Model) V0 $=$ D1 $/(\mathbf{k}-\mathrm{g})$ |  |
| :--- | :---: |
| D1 $=$ | $\$ 1.76$ |
| Expected Equity Return $(\mathrm{k})=$ | $10.02 \%$ |
| Expected Growth $(\mathrm{g})=$ | $\mathbf{7 . 5 0 \%}$ |
| Stock Val $=\$ \mathbf{\$ 4 . 9 5}$ |  |


| Expected HPR |  | 1) - | / PO |
| :---: | :---: | :---: | :---: |
| Dividend (d1) |  | \$1.76 | Pre-covid |
| P1 = P0+D |  | \$94.88 |  |
| PO | \$ | 93.12 |  |
| Exp. HPR= |  | 3.78\% |  |

## Traded Companies

## Method 5: Using Comparable Acquisition EBITDA Multiples

## METHOD \#5 - Using Averge EBITDA Transaction Multiples (M\&A Comparable Method)

| Target | Acquirer |  | Acquisition Price /Share |  | Shares Outstandin g |  | Value <br> ) |  | Total Net Debt (\$mm) |  | $\begin{aligned} & \text { orise } \\ & \text { (EV) } \end{aligned}$ |  | (last <br> ed) | EBITDA <br> Multiple |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Extended Stay America | Blackstone Group |  | \$ | 19.50 | 177,560,000 | \$ | 3,462 | \$ | 2,303 | \$ | 5,766 | \$ | 356 | 16.18x |
| Starwood Hotels | Marriott Hotels |  | \$ | 72.08 | 154,000,000 | \$ | 11,100 | \$ | 1,090 | \$ | 12,190 | \$ | 980 | 12.44x |
| Hilton Hotels | Blackstone Group |  | \$ | 47.50 | 390,400,000 | \$ | 18,544 | \$ | 6,180 | \$ | 24,724 | \$ | 1,680 | 14.72x |
| Four Seasons* | Kingtom Hotels Int'1 |  | \$ | 82.00 | 33,078,000 | \$ | 2,712 | \$ | 279 | \$ | 2,991 | \$ | 94 | 31.90x |
| Fairmont/Rafles | Kingtom Hotels Int'1 |  | \$ | 45.00 | 73,335,000 | \$ | 3,300 | \$ | 124 | \$ | 3,424 | \$ | 187 | 18.29x |
| Hilton International | Hilton Hotels Corp. |  |  |  |  | \$ | 5,578 | \$ | \$ - | \$ | 5,578 | \$ | 504 | 11.07x |
| Starwood Hotels | Host Marriott |  |  |  |  |  |  |  |  | \$ | 4,096 | \$ | 315 | 13.00x |
| La-Quinta Corp | Blackstone Group |  | \$ | 12.22 | 203,000,000 | \$ | 2,481 | \$ | 926 | \$ | 3,406 | \$ | 230 | 14.83x |
| Wynham Int' | Blackstone Group |  | \$ | 1.15 | 172,053,000 | \$ | 198 | \$ | 2,682 | \$ | 2,880 | \$ | 275 | 10.47x |
| John Q. Hammons Hotels | JQH Acquisition LLC |  | \$ | 24.00 | 19,583,000 | \$ | 470 | \$ | 765 | \$ | 1,235 | \$ | 123 | 10.04x |
| Societe du Louvre | Starwood Capital |  |  |  |  |  |  |  |  | \$ | 1,029 | \$ | 91 | 11.30x |
| Intercontinental Hotels | LRG |  |  |  |  |  |  |  |  | \$ | 981 | \$ | 107 | 9.20 x |
| Boca Resorts | Blackstone Group |  | \$ | 24.00 | 40,284,000 | \$ | 967 | \$ | 217 | \$ | 1,184 | \$ | 90 | 13.15x |
| Prime Hospitality | Blackstone Group |  | \$ | 12.25 | 44,808,000 | \$ | 549 | \$ | 244 | \$ | 792 | \$ | 55 | 14.38x |
| Extended Stay | Blackstone Group |  | \$ | 19.93 | 95,077,000 | \$ | 1,895 | \$ | 1,232 | \$ | 3,126 | \$ | 225 | 13.90x |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  | 14.32x |
| Haytt's Enteprise Value | 7,963,750 S | Stock Val= | \$ | 63.97 |  |  |  |  | Using 2019 EBIT | DA | d Adj)= |  | 6,000 |  |

## Method 6: DCF Valuation Analysis

To value the company using the DCF method the analyst needs to derive the following four items:

- Setting up a stream of cash flows
- Identifying an exit year
- Calculating the value at exit year (terminal value)
- Using the appropriate discount rate to value the present value of the firm


## Method 6: DCF Valuation Analysis

|  | HISTORICAL |  |  |  |  |  |  |  |  |  | PROJECTED |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Sep 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 | Dec 31 |
| (\$000's) | 2012 | 2013 | 2014 | 2015 | 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2021 | 2022 | 2023 | 2024 | 2025 | 2026 |
| Total Revenue | 3,949,000 | 4,184,000 | 4,415,000 | 4,328,000 | 4,429,000 | 4,685,000 | 4,454,000 | 5,020,000 | 2,066,000 | 2,376,000 | 2,685,800 | 3,357,250 | 4,028,700 | 4,633,005 | 5,096,306 | 5,605,936 |
| Revenue Growth |  | 6.0\% | 5.5\% | -2.0\% | 2.3\% | 5.8\% | -4.9\% | 12.7\% | -58.8\% | 15.0\% | 13.0\% | 25.0\% | 20.0\% | 15.0\% | 10.0\% | 10.0\% |
| Cost of Revenue | 3,121,000 | 3,283,000 | 3,433,000 | 3,377,000 | 3,473,000 | 3,638,000 | 3,475,000 | 4,077,000 | 2,067,000 | 2,155,000 | 2,435,984 | 2,637,895 | 3,165,474 | 3,640,295 | 4,004,324 | 4,404,757 |
| Gross Profit | 828,000 | 901,000 | 982,000 | 951,000 | 956,000 | 1,047,000 | 979,000 | 943,000 | $(1,000)$ | 221,000 | 249,816 | 719,355 | 863,226 | 992,710 | 1,091,981 | 1,201,179 |
| Gross profit | 21.0\% | 21.5\% | 22.2\% | 22.0\% | 21.6\% | 22.3\% | 22.0\% | 18.8\% | 0.0\% | 9.3\% | 9.3\% | 21.4\% | 21.4\% | 21.4\% | 21.4\% | 21.4\% |
| Total Operating Expenses | 669,000 | 668,000 | 703,000 | 628,000 | 657,000 | 745,000 | 647,000 | 746,000 | 631,000 | 650,000 | 416,123 | 520,154 | 624,185 | 717,813 | 789,594 | 868,554 |
| EBIT (Operating Income or Loss) | 159,000 | 233,000 | 279,000 | 323,000 | 299,000 | 302,000 | 332,000 | 197,000 | $(632,000)$ | $(429,000)$ | $(166,308)$ | 199,201 | 239,041 | 274,897 | 302,387 | 332,626 |
| Interest Expense | 70,000 | 65,000 | 71,000 | 68,000 | 76,000 | 80,000 | 76,000 | 75,000 | 128,000 | 164,000 |  |  |  |  |  |  |
| EBT \& other Income/Expenses | 89,000 | 168,000 | 208,000 | 255,000 | 223,000 | 222,000 | 256,000 | 122,000 | $(760,000)$ | $(593,000)$ |  |  |  |  |  |  |
| Other Income/Expenses Net | $(6,000)$ | $(153,000)$ | $(317,000)$ | 61,000 | $(66,000)$ | $(351,000)$ | $(695,000)$ | $(884,000)$ | 200,000 | $(467,000)$ |  |  |  |  |  |  |
| EBT | $(960,000)$ | 1,006,000 | 951,000 | 573,000 | 289,000 | 573,000 | 951,000 | 321,000 | $(960,000)$ | $(126,000)$ |  |  |  |  |  |  |
| Income Tax Expense | 8,000 | 116,000 | 179,000 | 70,000 | 85,000 | 323,000 | 182,000 | 240,000 | $(257,000)$ | 270,000 |  |  |  |  |  |  |
| Net Income | $(703,000)$ | 766,000 | 769,000 | 250,000 | 204,000 | 250,000 | 769,000 | 205,000 | $(703,000)$ | $(396,000)$ |  |  |  |  |  |  |
| Depreciation | 353,000 | 345,000 | 354,000 | 320,000 | 342,000 | 366,000 | 327,000 | 359,000 | 310,000 | 296,000 | 210,243 | 262,804 | 315,365 | 362,669 | 398,936 | 438,830 |
| Working Capital | $(67,000)$ | $(31,000)$ | 24,000 | 25,000 | $(32,000)$ | 126,000 | $(79,000)$ | $(8,000)$ | $(404,000)$ | 241,000 | $(4,309)$ | $(5,386)$ | $(6,464)$ | $(7,433)$ | $(8,176)$ | $(8,994)$ |
| Capital Expenditure | $(301,000)$ | $(232,000)$ | $(253,000)$ | $(269,000)$ | $(211,000)$ | $(298,000)$ | $(297,000)$ | $(369,000)$ | $(122,000)$ | $(83,000)$ | $(168,724)$ | $(210,904)$ | $(253,085)$ | $(291,048)$ | $(320,153)$ | $(352,168)$ |
| Current Portion of Long Term Debt | - | - | - | - | - | - |  | 11,000 | 260,000 | 10,000 |  |  |  |  |  |  |
| Long Term Debt | 2,018,000 | 2,263,000 | 2,333,000 | 2,068,000 | 2,497,000 | 2,590,000 | 2,409,000 | 2,842,000 | 4,224,000 | 3,338,000 |  |  |  |  |  |  |

## Method 6: DCF Valuation Analysis

To value the company using the DCF method the analyst needs to derive the following four items:

- Using the appropriate discount rate to value the present value of the firm
- WACC for Firm Value
- CAPM for Equity Value

| Cost of Equity Calc |  |
| :--- | ---: |
| Risk Free Rate (5 year) | $1.90 \%$ |
| Premium based on MC $=$ | $5.50 \%$ |
| Hyatt Beta $=$ | 1.48 x |
| Expected Equity Return $=$ | $10.02 \%$ |


| WACC Calc | Amount | \% Cap | RoR | AT RoR | WACC |
| :--- | ---: | :---: | :---: | :---: | :---: |
| Total Debt | $3,348,000$ | $24.6 \%$ | $4.188 \%$ | $3.27 \%$ | $0.80 \%$ |
| MV Equity | $10,238,544$ | $75.4 \%$ | $10.025 \%$ | $10.02 \%$ | $7.55 \%$ |
|  | $13,586,544$ | $100.0 \%$ |  |  | $8.36 \%$ |


| Interest Calculation |  |
| :--- | ---: |
| Avg Debt | $3,916,000$ |
| Interest | 164,000 |
| Rate | $4.19 \%$ |

## Method 7: Using the Leveraged Buyout Model (LBO) Method

While the DCF analysis is used for determining today's value of the company based on future cash flows, the value of the company using this LBO method is determined based on investor expectation, which means return determines the acquisition price of the firm.

- Building the Transactions Sources and Uses
- Setting up the Debt Schedules
- Calculating the Expected Equity Return
- Running Projections
- Determining the Terminal Value
- Determining the Value of the Firm


## Methods 1-6 - Summary:

Putting All the Values Together

| ENTERPRISE VALUATION ANALYSIS |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \text { EV } \\ & \text { (000's) } \end{aligned}$ | $\begin{gathered} \text { Debt } \\ \text { (000's) } \end{gathered}$ | $\begin{gathered} \text { Cash } \\ \text { (000's) } \end{gathered}$ | Eq Value (000's) | Shares Outs (000's) |  |  | Recommend | (-10\%/+10\%) |
| METHOD \#1 - Market Value / Using the Stock Prici 11,168,544 |  | 3,348,000 | 2,418,000 | 10,238,544 | 109,950 | \$ | 93.12 |  |  |
| METHOD \#2- Intrinsic Value |  |  |  |  |  |  |  |  |  |
|  | 10,699,380 | 3,348,000 | 2,418,000 | 9,769,380 | 109,950 | \$ | 88.85 | Sell | -4.58\% |
| METHOD \#3- Dividend Discount Model (DDM) | 9,170,235 | 3,348,000 | 2,418,000 | 8,240,235 | 109,950 | \$ | 74.95 | Sell | -19.52\% |
| METHOD \#4-Average EBITDA Industry Trading 1 | 10,912,445 | 3,348,000 | 2,418,000 | 9,982,445 | 109,950 | \$ | 90.79 | Sell | -2.50\% |
| METHOD \#5 - Using Averge EBITDA Transaction N | 7,963,750 | 3,348,000 | 2,418,000 | 7,033,750 | 109,950 | \$ | 63.97 | Sell | -31.30\% |
| METHOD \#6- Discount Cash Flow Valuation Anal) | 8,717,349 | 3,348,000 | 2,418,000 | 7,787,349 | 109,950 | \$ | 70.83 | Sell | -23.94\% |
| Average of other methods |  |  |  |  |  |  |  |  |  |
|  | 9,492,632 |  |  | 8,562,632 |  | \$ | 77.88 | Sell | -16.37\% |

## Valuation of Private Companies

Applying methods 6-8

## Method 6: Discount Cash Flow Method (DCF)

One of the most effective ways to value a private company is to dive into the company's projections and change the assumptions based on the investor's view of how the revenue will grow and at what cost.

Since there is no stock price that trades, which gives the investor a direct indication of what the company is worth (market value), an important method used by professionals is the discount cash flow (DCF) method, which measures the company's intrinsic value.

The conduction of this method is to calculate the first the equity cash flows, identify the exit year, estimate the terminal value in the exit year, and use the expected equity return as the discount rate.

## Valuation Analysis - Celerity Technology Inc



## Method 7: Leveraged Buyout (LBO) Method for Private Companies



##  Firms

Option Pricing Model Framework

- In option pricing and specifically in call options the payoff formula or intrinsic value of the option is

Option payoff $=\operatorname{Max}(0, S-X)$
where $S$ is the stock price and $X$ is the exercise price.

- To calculate the enterprise value
$\mathrm{EV}=\mathrm{E}+\mathrm{D}-\mathrm{C}$ or $\mathrm{EV}=\mathrm{E}+$ net D
where $E V$ is the enterprise value of the firm, $E$ is the equity value, $D$ is the debt and $C$ is cash. The net $D$ is referred to as debt minus cash implied that the current debt could be paid with cash on hand.
- Solving for equity:

$$
E=E V-\operatorname{net} D
$$

where $E$ is the equity, $E V$ is the enterprise value and net $D$ is the net debt.

##  Firms

## Option Pricing Model Framework

The Black-Scholes formula is

$$
\text { C option payoff }=S e^{-\delta . t} . \mathrm{N}(d 1)-X e^{-\mathrm{i} . t} \cdot \mathrm{~N}(\mathrm{~d} 2)
$$

where $S$ is the stock price, $\delta$ is the dividend yield, $t$ is time until expiration, $X$ is the option exercise price, $i$ is the risk-free interest rate, and $N$ is the normal distribution.

$$
\mathbf{d} 1=\frac{\left[\ln \left(\frac{\mathrm{S}}{\mathrm{x}}\right)+\left(\mathrm{i}-\delta+\frac{\sigma^{2}}{2}\right) \cdot \mathrm{t}\right]}{\sigma \sqrt{\mathrm{t}}} \text { and } \mathbf{d} 2=\mathbf{d} \mathbf{1}-\sigma \sqrt{\mathbf{t}}
$$

where $S$ is the current stock price, $X$ is the contractual exercise price, $i$ is the risk-free interest rate, $\delta$ is the dividend yield, $\sigma$ is the standard deviation, and $t$ is time to expiration.

## ıviculiuu O. vaiualiuli U1 Lislicis Firms

## Input:

- $S=$ Value of the firm = \$1 billion
- $X=$ Exercise price $=$ debt value $=\$ 1,200$ million
- $\sigma=$ Standard deviation of the asset $=20 \%$
- $t=$ Time $=$ term of the bond $=5$ years
- $\mathrm{i}=$ Risk-free rate $=3 \%$
- $\delta=$ Dividends $=$ cash flow paying the equity $=\$ 0$
- $\mathrm{C}=$ Equity value $=\mathrm{E}=$ ?


## Formulas and output:

Using the formula to determine the deviations d 1 and d 2 :
$\boldsymbol{d} 1=\frac{\left[\ln \left(\frac{S}{x}\right)+\left(i-\delta+\frac{\sigma^{2}}{2}\right) \cdot t\right]}{\sigma \sqrt{ } t}$ and $d 2=d 1-\sigma \sqrt{ } \boldsymbol{t}$
$d 1=.7671$ and $N(d 1)=.7785$
$d 2=.5678$ and $N(d 2)=.7149$
Using the Black Sholes formula:

$$
\begin{gathered}
C=S e^{-\delta \cdot t} \cdot N(d 1)-X e^{-i . t} \cdot N(d 2) \\
C=\$ 152.0 \text { million }
\end{gathered}
$$

## Valuation Analysis of Distress Company - AB Air Co.

AB Air Co., an airline company that entered bankruptcy in 1990. At the time of the filing, the debt outstanding, representing the exercise price $X$, was at $\$ 600$ million with a remaining life or duration of 5 years. To establish the value of equity, the enterprise value needs to be calculated. The management put together a business plan including 5 years of projections. In the first year, the company is planning to spend more money, representing restructuring costs and downsizing. Based on the 5 years' projection, the equity analyst could calculate the present value of the future cash flows, an estimated terminal value, and an assumed discount rate using the weighted average cost of capital of $10.5 \%$.

- The DCF analysis yields an enterprise value or the value of $S$ of $\$ 934$ million. Obviously with $S=\$ 934$ million and $X=\$ 600$ million the equity is in the money. Using the Black-Scholes option pricing model the equity or the call option C is calculated at $\$ 575$ million after taking into consideration the combined variance for both debt and equity using the following formula:

$$
\sigma s b^{2}=s^{2} \cdot \sigma s^{2}+b^{2} \cdot \sigma b^{2}+2(W s . W b \cdot \sigma s \cdot \sigma b) \cdot \rho
$$

where $\sigma s b^{2}$ is the combined variance of bonds and stocks, $W s$ is the percentage of stocks to total capitalization, $\sigma s^{2}$ is the stock price variance prior to bankruptcy, $W b$ is the bond outstanding as percentage of total capitalization, $\sigma b^{2}$ is the bond price variance prior to bankruptcy, and $\rho$ is the correlation between the stock and bond prices.

## - AB Air Co.

## CASE STUDY: AB Air Co.

## File for Bankruptcy 1990

| DEBTASSUMPTIONS |  | VALUE ASSUMPTIONS (Pre-bankrupcy) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Debt Outstanding $=$ N 600 | 600 | Stock Montly Var. (1985-1990)= |  |  | $\begin{aligned} & 3.15 \% \\ & 2.16 \% \end{aligned}$ |
| Weighted Average Duration= 5 | years |  |  |  |  |
| Weighted Average maturity $=$ 8.7 | ars | crelation | ween Stock | Bond | $\begin{array}{r} 2.16 \% \\ 0.25 \end{array}$ |
| WACC= $10.0 \%$ |  | Debt proportion (1987-1991) = |  |  | 88.30\% |
| TaxRate = 36.0\% |  |  |  |  |  |
| Discount Cash Flow Analysis (\$ millions) | 1991 | 1992 | 1993 | 1994 | 1995 |
| Revenue | 1,250.0 | 1,137.5 | 1,114.8 | 1,159.3 | 1,205.7 |
| cogs | (980.0) | (810.0) | (668.0) | (695.6) | (723.4) |
| Oper. Exp. | (720.0) | (210.0) | (205.8) | (214.0) | (222.6) |
| EBit | (450.0) | 117.5 | 241.0 | 249.7 | 259.7 |
| Ebit (t) | (162.0) | 42.3 | 86.8 | 89.9 | 93.5 |
| EBIT (i-t) | (288.0) | 75.2 | 154.2 | 159.8 | 166.2 |
| Less Maintenance Capex (offset by Depreciation) | - | - | - | - | - |
| Less W/C (assumiung \$0) |  |  |  |  |  |
| Cash Flow | (288.0) | 75.2 | 154.2 | 59.8 | 166.2 |
| Terminal Value assumption 5.0x |  |  |  |  | 1,298.5 |
| EV (PV) of the firm \$934.8 | (288.0) | 75.2 | 154.2 | 159.8 | 1,464.7 |
| Step 1 - Find the annualized in stock and bond prices: |  |  |  |  |  |
| Annualized Variance in Stock Price onz $=$ | 0.37812 | nual) |  | Dev. $=$ | . 6149146 |
| Annualized Variance in Bond Price $\mathbf{o n 2}^{\wedge}=$ | 0.2592 | nual) |  | Dev.= | 5091169 |

$\begin{array}{ll}\text { Annualized Variance in Bond Price o }{ }^{\wedge} \mathrm{A}= & 0.37812 \text { (annual) }\end{array}$
St. Dev. $=0.5091169$

## Step 2 - Find the annualized variance in firm value

| $\left(w e^{\wedge} 2 \times \sigma e^{\wedge} 2\right)+\left(w b^{\wedge} 2 \times \sigma b^{\wedge} 2\right)+2$ (we $\times$ wd $\times$ ped $\times$ de $\left.\times \sigma d\right)$. $C$ |  |  |  |
| :---: | :---: | :---: | :---: |
| We= $\mathbf{W d =}$ | $11.70 \%$ $88.30 \%$ | $\mathrm{c}=$ | 0.25 |

The five-year bond rate (corresponding to the weighted average duration of 5.1 years) is $6.0 \%$
Stet 3 - Find the value of call based upon the following parameters of equity as a call option
Value of the underlying asset $=S=$ Value of the firm
Exercise Price $=x=$ Face Value of outstanding debt
Life of the option $=t=$ Weighted average duration of debt= Riskless Rate $=1=T$-Bond for option life $=$

$$
\begin{gathered}
\$ 934.8 \\
\$ 600.0 \\
5 \text { years } \\
0.2113143 \\
6.00 \%
\end{gathered}
$$

$$
\begin{array}{ll}
d 1=1.23721 & N(d 1)=0.8919954 \\
d 2=0.209313 & N(d 2)=0.5828981
\end{array}
$$

